

A Time-and Temperature-Dependent Simulation  
of the GTO Turn-Off Process

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Abstract

New insight into the GTO thyristor turn-off process has been obtained by performing an exact two-dimensional time- and temperature-dependent numerical simulation. Novel numerical solution techniques for faster convergence enable efficient modeling of high voltage operation as well as simultaneous electrical and thermal solutions. It was found that an additional current term relating to bandgap variation with temperature should be included.

The model was applied to a 200 $\mu$ mX5mm emitter GTO. A large current 34A(3,400A/cm<sup>2</sup>) was turned-off by 6A of gate current. The peak current density, 17,000A/cm<sup>2</sup>, was reached during the fall-time transient. The final on-region width (<50 $\mu$ m) was found to be a decreasing function of lateral gate current density. When the total anode current is high, an initial anode voltage increase is caused by the confinement of the on-region to a narrow area. The maximum applied voltage for the current crowded area was also found to be restricted by a mechanism similar to punch-through.

Introduction

Recent advances in the high power GTO thyristor development have enabled such devices to be operated at more than 1000A and 2500V [1]. However, only little efforts have been made for analyzing its SOA or failure mechanism [2,3]. The present paper tries to understand the plasma squeezing phenomena as well as failure mechanism, making use of numerical modeling.

Some current existing two-dimensional models are of a computer-time consuming nature, if four basic equations are solved simultaneously [4]. Coarse grid structure, inclusion of mobility derivatives associated with electrostatic potential, direct solution method, etc. enable efficient solution in practical computer-time.

Mathematical Model and Solution Method

Current equation A) thermal gradient

The current equation under nonisothermal conditions must include the current terms due to the thermal gradient. One of them is so called thermal diffusion and is expressed by [5].

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$$qnD_T \frac{dT}{dX}, D_T = \frac{k}{2q} \mu. \quad \dots(1)$$

The other current term is due to bandgap variation induced by the temperature gradient and is approximated by

$$-\frac{1}{2} q\mu_n n \frac{d\Delta V_g}{dX} = -q\mu_n n s \frac{dT}{dX}; 2s = 2.82 \times 10^{-4} \quad [6] \quad \dots(2)$$

where it is assumed that both bandgap edges change by the same amount of  $sT$ . This term is opposite to the previous term and is larger.

B) Heavy-doping-effects and Fermi statistics

A characteristic parameter  $w_n$  is defined [7], using Fermi statistics for electrons:

$$n_0 \exp\left(\frac{1}{kT_0} (F_n + qw_n)\right) = \int_{-\infty}^{\infty} \frac{e dE}{1 + \exp((E - F_n)/kT_0)}; \quad \dots(3)$$

$$n_0 = N_c \exp(-E_{c,0}/kT_0).$$

Here,  $w_n$  expresses the effective bandgap change, taking into account the effect of Fermi statistics. The current equation is expressed in exactly the same form as the conventional one in spite of the degeneracy

$$J_n = \mu_n n k T_0 \frac{dn}{dX} - q\mu_n n \frac{d(\psi_n + w_n)}{dX}. \quad \dots(4)$$

Further more merit will be given by the fact that the experimentally obtained bandgap change using the conventional equation is directly connected to the value  $w_n + w_p$ , where  $w_p$  is the corresponding parameter for holes.

The final electron current equation to be solved, thus, is given by

$$J_n = \mu_n n k T_0 \frac{dn}{dX} - q\mu_n n \frac{dV_{eff}}{dX}, \quad \dots(5)$$

where  $V_{eff} = \psi_n + (w_n + sT) - \frac{k}{2q} T$ .

Solution method

If  $V_{eff}$  does not change rapidly, then  $dV_{eff}/dX$  can be regarded as constant between two grid points and the conventional discretization procedure can be used by replacing  $\psi$  by  $V_{eff}$ . An independent variable set  $(n, p, \psi, T)$  is used because of programming feasibility. There is almost no difference in the convergence rate even if another set is chosen.

In actual program,  $(n, p, \psi)$  are solved simultaneously by getting a triangular matrix using the Gaussian elimination (direct) method. The temperature equation is separately solved by Stone's



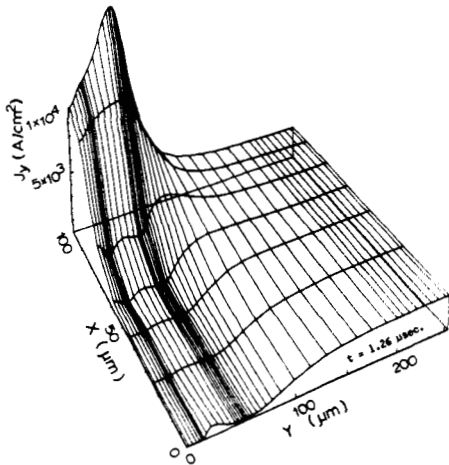


Fig. 4 Y-component of the current density distribution ( $t=1.26\mu\text{sec.}$ )

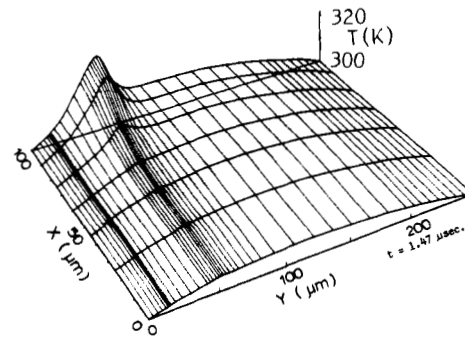


Fig. 6 Temperature distribution( $t=1.47\mu\text{sec.}$ )

electron current at the edge of the conduction area is almost negligible, a high carrier gradient must exist to afford a lateral hole current. The transition region is as narrow as  $10\mu\text{m}$ .

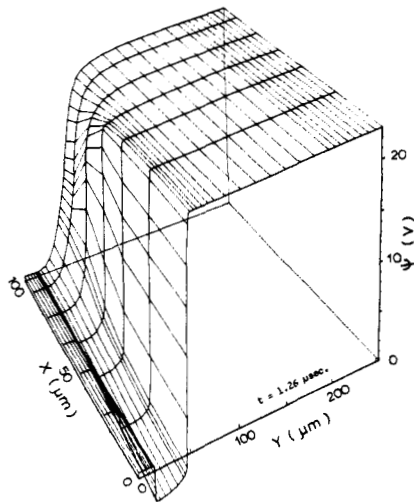


Fig. 5 Electrostatic potential ( $t=1.26\mu\text{sec.}$ )

Fig. 6 shows the temperature distribution at  $t=1.47\mu\text{sec}$ . A 20 degree temperature increase is seen in the highest current density area. The system behaves almost adiabatically because almost all of the heating occurs within  $1\mu\text{sec}$ . Fig. 7 shows the electron density distribution at  $t=1.43\mu\text{sec}$ . It is seen that the lateral carrier density gradient in the p-base has become less steep than in Fig. 3, corresponding to a decrease in gate current density.

Fig. 8 shows the lateral carrier density distributions along  $X=19\mu\text{m}$  in the p-base. The carrier density gradient is very steep because of the high lateral gate current density ( $3,000\text{A}/\text{cm}^2$  at  $t=1.26\mu\text{sec.}$ ) and because of the reduced carrier diffusion length due to carrier-carrier scattering and a temperature increase. As the lateral

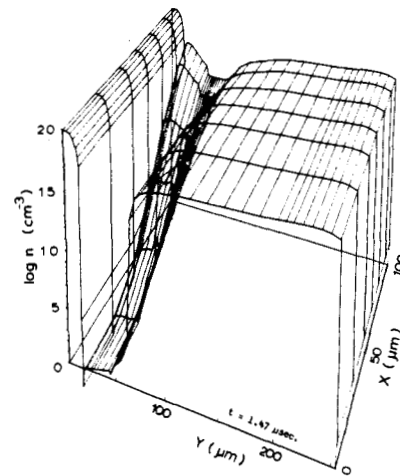


Fig. 7 Electron density distribution( $t=1.47\mu\text{sec.}$ )

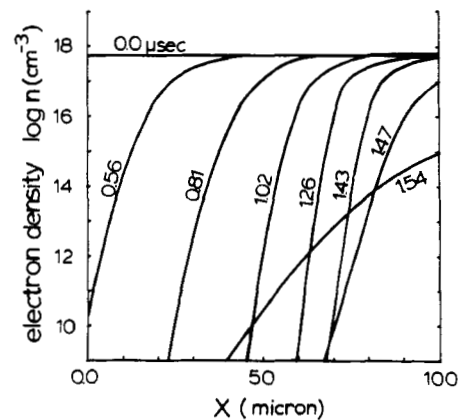


Fig. 8 Electron density distribution for  $X=19\mu\text{m}$  along X-axis for various time steps.

From  $t=1.02\mu\text{sec.}$ , the conduction area continues to reduce while the anode voltage begins to increase rapidly and peak current density still increases. This represents a remarkable difference from the low current case [2], leading to the previously stated concept, and also verifying the assumption which was used in [3] for a 1-dimensional gate turn-off model.

#### Analysis from 1-Dimensional Model

This section is an extension of the work of paper [3], and attempts to understand the cause for the current concentration into a small portion of GTO in the turn-off process. This phenomena is basically 3-dimensional and even a 2-dimensional model is not fully applicable. A 1-dimensional model will be used with the same assumption as [3]. The results obtained can be regarded as characteristic of the current crowded region.

Fig. 9 shows steady-state I-V characteristics of several GTO's. A comparison between A and D gives a large current density difference which is caused merely by the added  $2\mu\text{m}$  emitter depth.

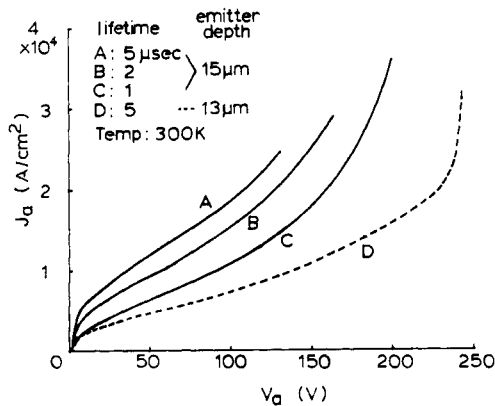


Fig. 9 1-dimensional simulation of the large current I-V characteristics (steady-state,  $I_g=0.0$ )

Fig. 10 shows the current density changes with time when various gate current densities are assumed. The current density is actually plotted

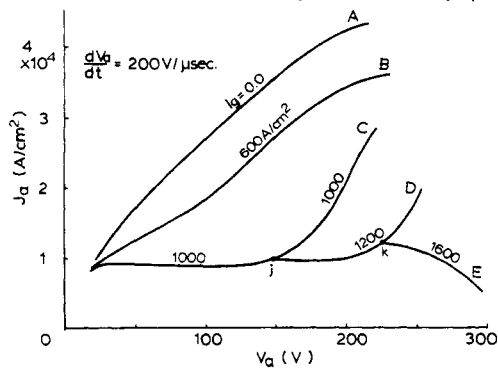


Fig. 10 Time-dependent 1-dimensional simulation of current density changes with anode voltage for various gate current densities

against anode voltage, which is raised at the rate of  $200\text{V}/\mu\text{sec.}$  A significant current density difference is also caused by a little difference in the gate current. It is expected that p-base sheetresistance difference can be a significant cause for the current concentrating into a small region. For example, a 20% difference in sheetresistance (which is very likely) may cause almost the same amount of current density difference as that between A and D in Fig. 9, in the early stage of the anode voltage increase period during the turn-off process. In addition, 20% less gate current may be supplied to the higher current conducting area where the p-base sheetresistance is 20% higher than the other part of the emitter, resulting in the larger current concentration in this area.

Other interesting phenomena are seen also in Figs. 9,10. For above 200V, the anode current density begins to increase rapidly. As the anode voltage increases, a high electric field region develops around the center junction. In the high electric field region, current flows mainly by drift so that the current ratio  $J_n/J_p$  is almost the same as that of  $\mu_n/\mu_p$  (assuming high injection condition  $n \approx p$ ). This ratio gradually decreases with electric field magnitude above  $1 \times 10^4 \text{V/cm}$ . Therefore, the electric field magnitude is determined by the ratio of  $J_n/J_p$  and does not change significantly. But the width of the high electric field region expands toward the p-emitter as the applied voltage increases (refer to Figs. 7,8 in [3]). If the supplied gate current is insufficient then the high electric field region approaches the p-emitter and causes a high hole diffusion current, resulting in the current density increase in this area. The recent experiment by T. Nagano et al. [2] showed that the maximum interruptable current significantly decreases with the increase in applied voltage over 400V for a 700V device. This voltage is very close to the voltage where the above stated phenomena occurs and which is roughly predicted to be around  $2 \times 10^4 W_{NB} (V)$  where  $W_{NB}$  is the n-base width (cm).

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